

SAMOSA

Final Project Presentation

4. Development and
assessment of new
applications for SARM data
over water

Project funded by ESA under
the STSE programme:



SAMOSA

Session 4.1

- RDSAR: overview to theoretical basis, production of pseudo-LRM data from SARM FBR
- SAMOSA1 waveform model

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Motivation

CryoSat-2 → SIRAL first SAR altimeter on board a Satellite



The SIRAL modes are mutually exclusive



For the quantitative comparison of SARM and LRM data the SAMOSA team has been working on the reduction of SARM data such that it emulates conventional altimetry data



This allows for:

- Quantitative comparison of the modes
- Tracking SARM data with LRM techniques



SIRAL data types

Low Resolution Mode - LRM

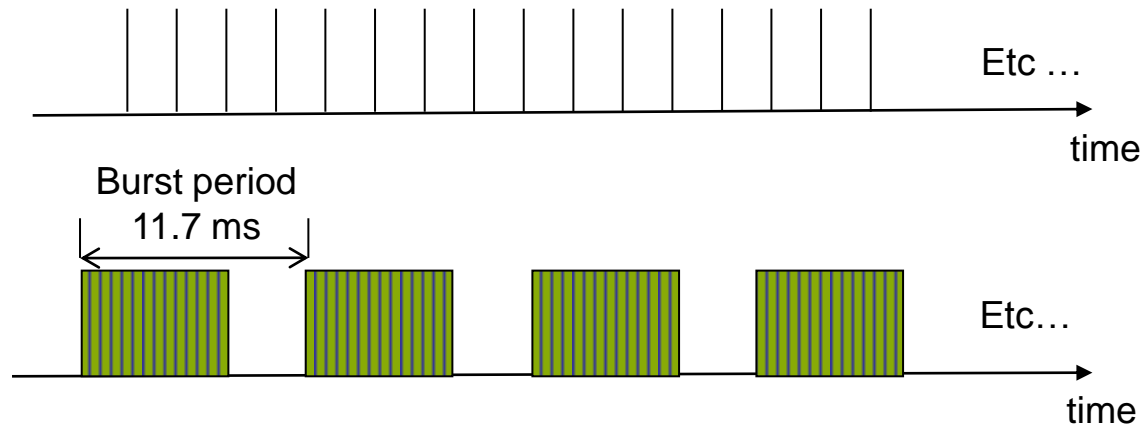
$$PRF_{LRM} = 1970 \text{ Hz}$$

Decorrelated echoes

SAR Mode - SARM

$$PRF_{SAR} = 17.8 \text{ KHz}$$

Correlated echoes



Full
Bit
Rate

LRM

L1 or Full Bit Rate Data and L1b or multi-look waveform data

Both correspond to multi-look waveforms at a rate of approximately 20Hz

SARM

L1 or Full Bit Rate Data → consist of individual **complex echoes** (I,Q components)

and **L1b** correspond to multi-look **waveforms** at a rate of approximately 20Hz

Correlation / Decorrelation

★ Decorrelated adjacent waveform PRF upper bound (LRM)

- Is derived from the correlation of data between adjacent samples (Walsh, 1982). This calculation is based on the Van Cittert-Zernike theorem, which states that such decorrelation is achieved by:

$$PRF = \frac{V_s}{d \frac{R_E + h}{R_E}} \quad d = \frac{0.305 / h}{r} \longrightarrow$$

Radius of a circle formed by the intersection of spherical waveform with MSL

★ Correlated waveforms - Nyquist sampling PRF lower bound (SARM)

- Determined by the Doppler bandwidth of the antenna pattern (15KHz for CryoSat-2)



$$m = \frac{PRF_{SARM}}{PRF_{LRM}} \longrightarrow$$

Unequal number of pulses

pseudo-LRM

Conventional Altimetry processing blocks

- From EnviSat –RA2 we know that after samples are gathered:
 - They are hamming weighted and corrected for Rx-delay
 - Samples are IFFT
 - Samples are transformed to power and an amplitude fine correction is applied



- RDSAR – processing done to the pseudo-LRM sequence
 - Window delay correction
 - Samples are IFFT
 - Samples are transformed to power and gain compensation is applied



Still unequal number
of pulses

Methodologies

– Methodology 1:

- Coherent summation of in between pulses → peaky waveforms

– Methodology 2:

- F.T of the data in azimuth, across the data at a constant range over each burst → this would re-distribute the samples by Doppler bin. → peaky waveforms

– Methodology 3:

- One every “m” waveforms:
 - For a constant sea state scenario it can be proved that in order to reduce SARM FBR data to an equivalent of 1s of LRM data and preserve equal number of pulses we need to reduce 3 seconds of SARM FBR data.

Results and Conclusions

– Methodology 3:

- Statistical equivalence has shown to be preserved between the pseudo-LRM sequence and its equivalent LRM for a constant sea state scenario
- In addition, we tried to incoherently combine the in between pulses
 - For such additional summation statistical equivalence has shown to also be preserved
 - In addition **incoherent summations** has resulted in a SNR improvement of the trailing edge since the results have shown that the coherence in the return complex SARM FBR Echoes trailing edge is less predominant than in the leading edge.

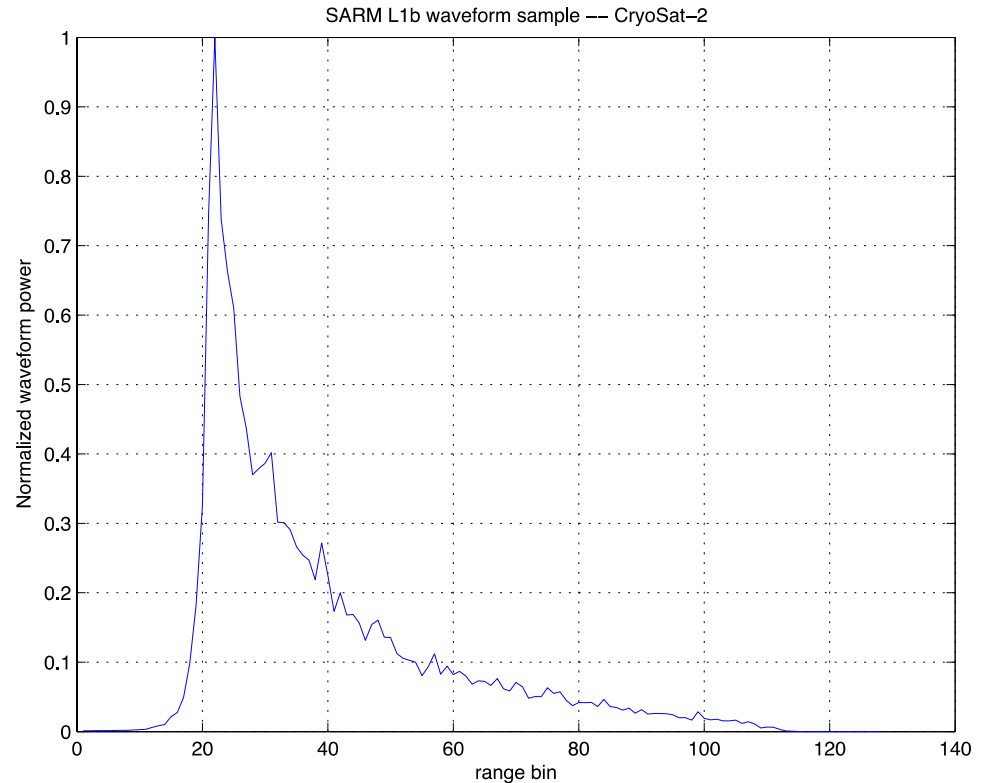
– Methodology implemented in RDSAR

– Results with simulated data:

- RDSAR vs LRM
- RDSAR vs SARM for quantitative comparison

SAMOS A1 waveform model Motivation

- The shape of a SARM return echo is different from a “Brown-style” waveform, and so a re-tracker designed for a conventional altimeter cannot be expected to work on SARM data.



Model Description

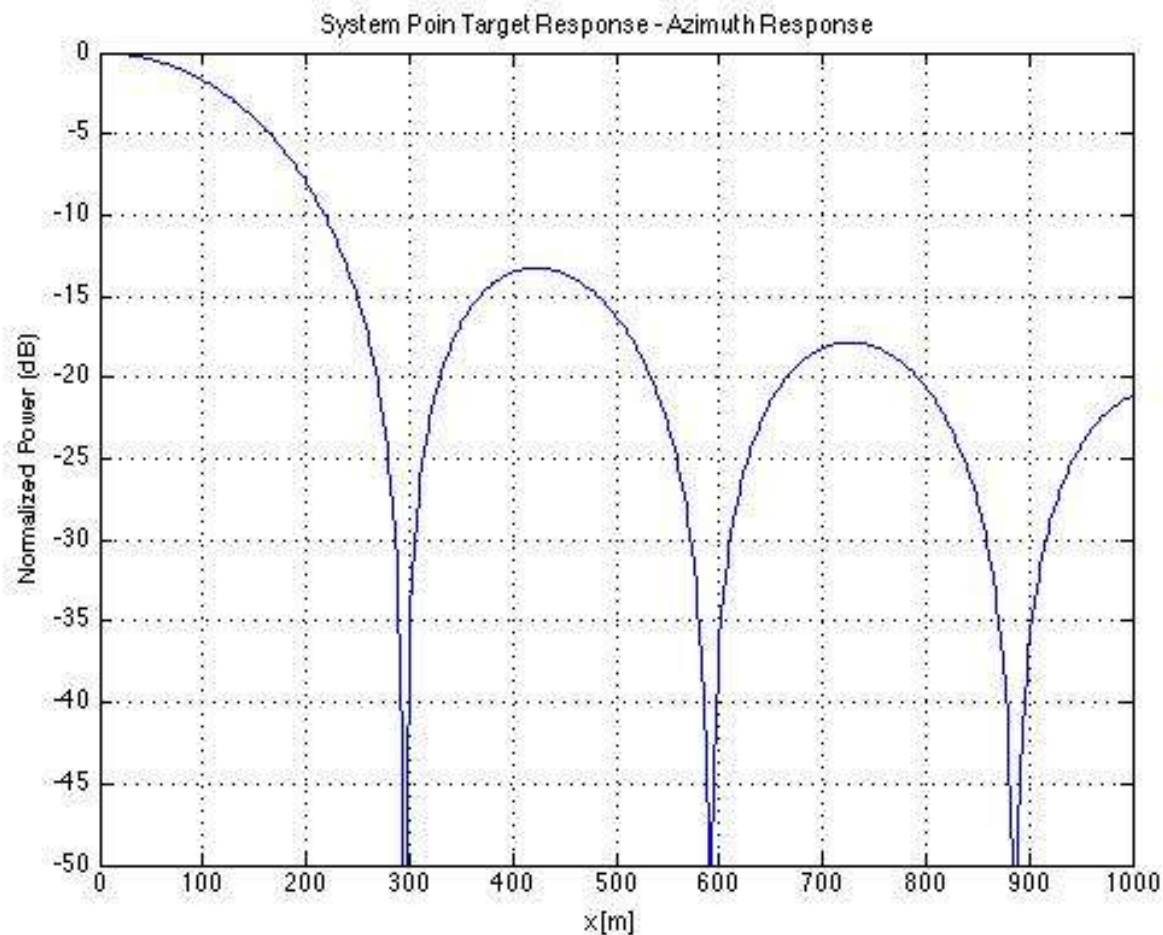
- We demonstrated that the model can be expressed as a three fold convolution:

$$W(\tau, \text{Doppler}_{bin}) = P_{FS}(\tau, \text{Doppler}_{bin}) * S_R(\tau, \text{Doppler}_{bin}) * \left(\frac{c}{2}\right) P_z\left(\frac{c\tau}{2}\right)$$

- Model 1 assumes:
 - Ocean-Gaussian statistics
 - Gaussian antenna pattern
 - no-curvature effects across track, only along-track are considered
 - mispointing angle effects along-track
 - ✓ Doppler shift
 - radial velocity effects are neglected

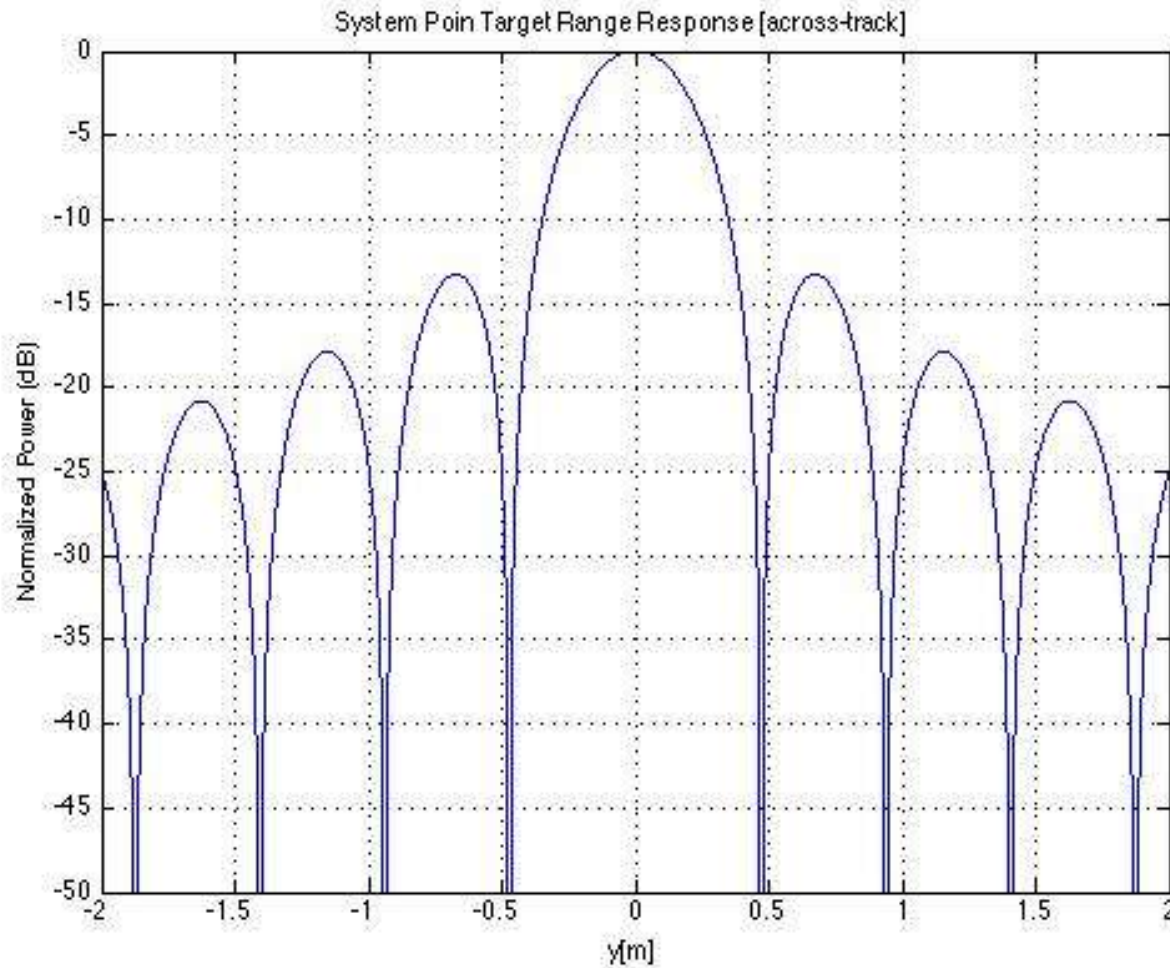
SAMOSA1 waveform model

SPTR - azimuth

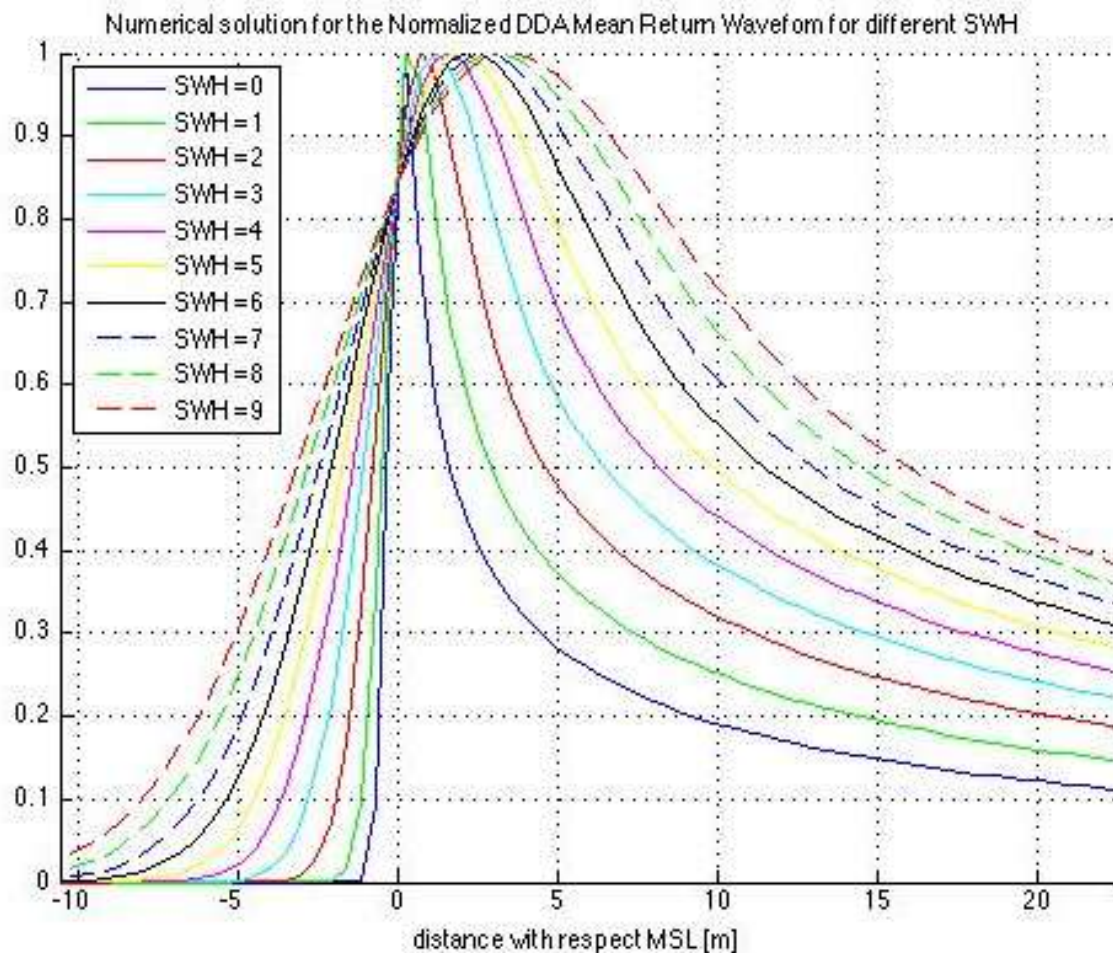


SAMOSA1 waveform model

SPTR – range



SAMOSA WM1 for different SWH conditions and Doppler zero



Thanks for your attention!

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